

## Spatial Ecology Workshop (Quiz 4) - Key

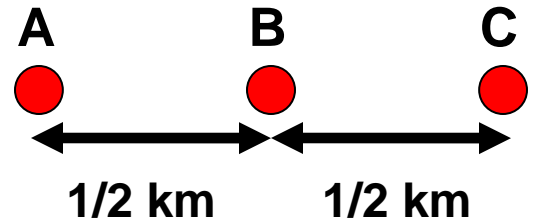
Student: \_\_\_\_\_

Grader: \_\_\_\_\_

1) Generic auto-correlation is described as the following product:

$$\text{Correlation} = \frac{\sum (\text{covariance} * w)}{\sum w} \quad (\text{Where: } w = \text{weight})$$

You sampled three stations (A, B, C) and want to calculate the global correlation for these data, using the distance between stations to weight these pair-wise comparisons as follows: weight = 1 / distance.



Fill in the cells below (+0.25 points each).

| samples | covariance | distance (km) | weight   |
|---------|------------|---------------|----------|
| A-B     | +1         | 0.5           | <b>2</b> |
| B-C     | 0          | 0.5           | <b>2</b> |
| A-C     | -1         | 1             | <b>1</b> |

Autocorrelation for this dataset: **0.20** =  $[(1 * 2) + (0 * 2) + (-1 * 1)] / (5)$

2) Match the answers (A, B, C, D, E, F) with the two definitions (I, II) (0.5 points each):

- A - Numerator is a squared difference for each pair
- B - Denominator is a variance
- C - Value of +1 when data are not correlated
- D - Numerator is a covariance
- E - Value of +1 when data are positively correlated
- F - Value of 0 when data are positively correlated

I - Moran's I: **D, E (B for both)**

$$I_{(d)} = \frac{n \sum_i \sum_j w_{ij} Z_i Z_j}{W_{ij} \sum_i Z_i^2}$$

II - Geary's C: **A, C, F (B for both)**

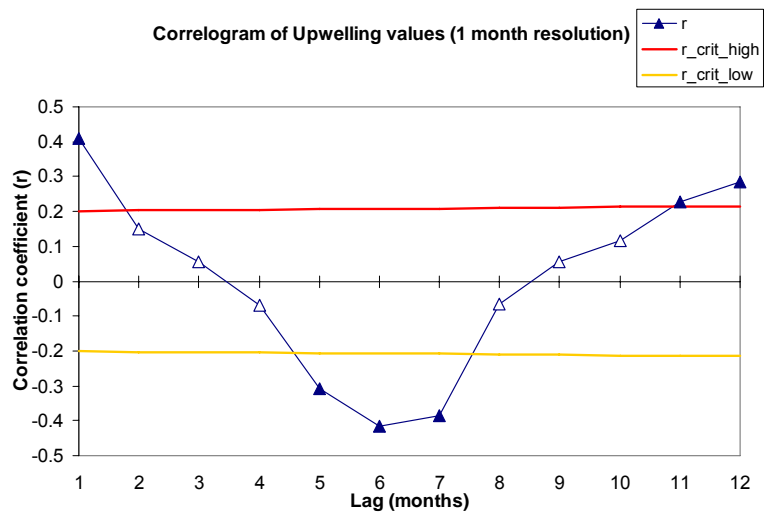
$$C_{(d)} = \frac{[(n-1) / \sum_i \sum_j w_{ij} (y_i - y_j)^2]}{2 W_{ij} \sum_i Z_i^2}$$

3) List two main applications of auto-correlation in ecology? (1 points each) (Hint: quizz 3)

**Define "Ecological Scales": the space or time "distance" apart (lag) at which spatial variation is NO LONGER correlated with "distance". Independence beyond this scale.**

**Gain insight into forces structuring spatial distributions by quantifying sign (+ / -) and lags (separation) in the data**

4) Define two metrics used to identify “ecological scales” of autocorrelation (0.25 per value and 0.5 per definition):



I-zero scale: from 1 to 2 L-zero scale: from 3 to 4

I-zero is defined as: **First lag where correlogram not significantly different from 0**

L-zero is defined as: **First lag where correlogram crosses the x-axis**

5) Assign p-values / significance to correlation coefficients, using Pearson table (0.25 per entry):

| df= n-2<br>n = number of pairs of data | Level of significance for two-tailed test <b>(alpha)</b> |      |       |       |
|--|--|------|-------|-------|
|  | .10  | .05  | .02   | .01   |
| 1                                      | .988   | .997 | .9995 | .9999 |
| 2                                      | .900   | .950 | .980  | .990  |

For df = 1, r = +0.997 p value: p = 0.05 result: **Significant**

For df = 1, r = +0.998 p value: 0.05 > p > 0.02 result: **Significant**

For df = 2, r = +0.997 p value: p < 0.01 result: **Significant**

For df = 2, r = -0.940 p value: 0.10 > p > 0.05 result: **Not significant**

For df = 2, r = +0.050 p value: p > 0.10 result: **Not significant**